

Subject card

Subject name and code	Essential Numerical Analysis for Physicists, PG_00182303						
Field of study	Physics						
Date of commencement of studies	October 2025		Academic year of realisation of subject		2026/2027		
Education level	Bachelor's studies		Subject group		Obligatory subject group in the field of study Subject group related to scientific research in the field of study		
Mode of study	full-time studies		Mode of delivery		at the university		
Year of study	2		Language of instruction		Polish Classes may be conducted in English in the following cases: - when the course is taught by an English-speaking instructor, - when a non-Polish-speaking international student is present in the group, - when the course is delivered by an invited external expert, - at the request of the students in the group.		
Semester of study	4		ECTS credits		3.0		
Learning profile	academic		Assessment form		credit		
Conducting unit	Laboratory for Physics Teaching -> Institute of Experimental Physics -> Faculty of Mathematics, Physics and Informatics -> Rector						
Name and surname of lecturer (lecturers)	Subject supervisor		dr Adrian Kołodziejewski				
	Teachers						
Lesson types	Lesson type	Lecture	Tutorial	Laboratory	Project	Seminar	SUM
	Number of study hours	0.0	0.0	45.0	0.0	0.0	45
	E-learning hours included: 0.0						
Learning activity and number of study hours	Learning activity	Participation in didactic classes included in study plan		Participation in consultation hours		Self-study	SUM
	Number of study hours	45		0.0		45.0	90
Subject objectives	Introducing students to intermediate numerical methods used in physics. The completion of computational projects aims to reinforce programming skills.						

Learning outcomes	Course outcome	Subject outcome	Method of verification
	[FIZL3_U11] can use various application software packages to present results and analyze data	The student is able to: – numerically determine the solution of the Cauchy problem for ordinary differential equations; – numerically solve boundary value problems for ordinary differential equations; – numerically compute the eigenvalues and eigenvectors of a matrix; – compute the discrete Fourier transform using the FFT method; – determine the LU and Cholesky decomposition of a matrix; – numerically find the local minimum of a function of one or multiple variables.	[SU2] presentation/project/paper/report
	[FIZL3_U12] can write, compile, run, test and document a computer program written by himself	The student is able to: – numerically determine the solution of the Cauchy problem for ordinary differential equations; – numerically solve boundary value problems for ordinary differential equations; – numerically compute the eigenvalues and eigenvectors of a matrix; – compute the discrete Fourier transform using the FFT method; – determine the LU and Cholesky decomposition of a matrix; – numerically find the local minimum of a function of one or multiple variables.	[SU2] presentation/project/paper/report
	[FIZL3_W12] knows the methods of numerical analysis, knows at least one package for symbolic calculations at an advanced level, knows application software packages for presentation of results and data analysis; knows one programming language fluently	The student knows: – numerical methods for solving the Cauchy problem for ordinary differential equations, including predictor–corrector and multistep methods; – numerical methods for solving boundary value problems for ordinary differential equations, including the shooting method and the finite difference method; – the basics of the finite element method; – methods for solving matrix eigenvalue problems (power method, Jacobi method, Lanczos algorithm); – methods for computing the discrete Fourier transform; – the Verlet algorithm used in molecular dynamics simulations; – LU and Cholesky decompositions; – methods for minimizing functions of one or multiple variables, including the golden-section method, quadratic interpolation, steepest descent, and the simplex method.	[SW2] presentation/project/paper/report
	[FIZL3_U08] can use numerical methods or software for symbolic calculations or simulations to describe and model physical phenomena and processes	The student is able to: - apply a chosen numerical method to analyze a physical problem; - use symbolic computation software to obtain analytical results or simplify the problem; - construct a computer simulation describing the dynamics of physical phenomena; - interpret results obtained through numerical methods and simulations in a physical context.	[SU2] presentation/project/paper/report

	<table><tr><th>Course outcome</th><th>Subject outcome</th><th>Method of verification</th></tr><tr><td>[FIZL3_K02] can precisely formulate problems aimed at deepening the understanding of a given topic</td><td>The student is able to: - formulate a physical problem in a way that allows its numerical analysis; - identify which aspects of the problem require more detailed investigation and simulation; - select numerical methods appropriate to the nature of the problem and anticipate potential computational difficulties.</td><td>[SK2] presentation/project/paper/report</td></tr></table>	Course outcome	Subject outcome	Method of verification	[FIZL3_K02] can precisely formulate problems aimed at deepening the understanding of a given topic	The student is able to: - formulate a physical problem in a way that allows its numerical analysis; - identify which aspects of the problem require more detailed investigation and simulation; - select numerical methods appropriate to the nature of the problem and anticipate potential computational difficulties.	[SK2] presentation/project/paper/report					
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Subject contents	Ordinary differential equations solving the Cauchy problem predictorcorrector and multistep methods. Ordinary differential equations solving boundary value problems shooting method, finite difference method. Richardson extrapolation. Basics of the finite element method. Matrix eigenvalue problems power method, similarity transformations, Jacobi/Givens methods, Lanczos algorithm. Fourier transform fast Fourier transform (FFT). Molecular dynamics simulations Verlet algorithm. Matrix factorizations: LU and Cholesky decomposition. Function minimization: single- and multi-variable functions golden-section method, quadratic interpolation, steepest descent, simplex method, genetic algorithms.											
Prerequisites and co-requisites	A. Formal requirements: passed exams in Mathematical Analysis for Physicists, Differential Equations and Probability Theory, and Linear Algebra; completed Computational Methods in Physics. B. Prerequisites: mastery of elementary mathematical tools for physics; proficiency in programming in Python.											
Assessment methods and criteria	<table><tr><th>Subject passing criteria</th><th>Passing threshold</th><th>Percentage of the final grade</th></tr><tr><td>not applicable</td><td>51.0%</td><td>25.0%</td></tr><tr><td>not applicable</td><td>51.0%</td><td>75.0%</td></tr></table>	Subject passing criteria	Passing threshold	Percentage of the final grade	not applicable	51.0%	25.0%	not applicable	51.0%	75.0%		
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Recommended reading	Basic literature	• P. L. de Vries, A first course in computational physics, John Wiley & Sons, Inc. New York 1994 • A. Björck, G. Dahlquist, Metody numeryczne PWN 1987 • J. M. Jankowsky, Przegląd algorytmów numerycznych, Wyd. Naukowo-Techniczne 1988 • J. Stoer, R. Burlisch, Wstęp do analizy numerycznej, PWN 1987 • Z. Kamont, Równania różniczkowe zwyczajne.Wydawnictwo UG 1999 • W. Cheney, D. Kincaid, Analiza numeryczna, Wydawnictwo Naukowo-Techniczne, 2006 • G.N. Giordano, Computational Physics, Prentice-Hall, 1997										
	Supplementary literature	not applicable										
	eResources addresses											
Example issues/ example questions/ tasks being completed	not applicable											
Work placement	Not applicable											

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